# An Algorithm to Transpose Zero- One Matrix 

Sanil Shanker KP<br>Dept. of Computer Science<br>Farook College,<br>Kozhikode, India.


#### Abstract

This paper puts forward a method to transpose Zero- One matrix. Here, we combine the logical AND and logical OR operations to achieve the result.


## Keywords: Zero-One Matrix, Matrix transpose

## I. Introduction

In 2010, Sanil et al designed an algorithm for sequential data mining using correlation matrix memory [1]. We renovate the algorithm to transpose Zero- One matrix. A matrix with entities that are either zero or one is called a Zero- One matrix. The transpose of a matrix is obtained by interchanging the rows and columns.

Let $M$ be a Zero- One matrix of size $p \mathrm{xq}$. The transpose of $M$, denoted by $M^{T}$, is the $q \times p$ matrix obtained by interchanging the rows and columns of M . Boolean arithmetic is based on Boolean operations $\vee$ or $\wedge$ which operates on pair of bits [2]. In this proposed method, we compute $\mathrm{M}^{\mathrm{T}}$ by combining the characteristics of logical AND with logical OR operations.

## II. Algorithm

In this method, the input binary matrix M of order $\mathrm{p} \times \mathrm{q}$ operates logical AND with reference matrix $D_{(i, j)}$, gives $M^{T}$ with the cell values $\mathrm{W}_{\mathrm{ij}}$.

Step 1. Initialize the matrix M of order p xq .
Step 2. Create the reference matrix $\mathrm{D}_{(\mathrm{i}, \mathrm{j}}$, where

$$
\mathrm{i}=1,2 \ldots \mathrm{p} \text { and } \mathrm{j}=1,2, \ldots \mathrm{q} .
$$

Step 3. Compute $\mathrm{M}^{\mathrm{T}}$ with cell values

$$
\begin{aligned}
& \left.\sum_{i=1}^{p} \mathrm{~W}_{1, i}, \text { where }\right)=1,2, \ldots \mathrm{q} \\
& \mathrm{M}^{\mathrm{T}} \leftarrow \mathrm{M} \cdot \mathrm{D}_{(\mathrm{i}, \mathrm{j})}
\end{aligned}
$$

## Example

Consider the matrix of order pxq , where $\mathrm{p}=3$ and $\mathrm{q}=6$.

| 1 | 0 | 1 | 1 | 0 | 1 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 1 | 0 | 0 | 1 | 0 |

Let the reference matrix $D(i, j)$ be

| 1 | 0 | 0 |
| :--- | :--- | :--- |
| 0 | 1 | 0 |
| 0 | 0 | 1 |

The input binary matrix M of order px q operates logical AND with reference matrix $\mathrm{D}_{(\mathrm{i}, \mathrm{j})}$ gives $\mathrm{M}^{\mathrm{T}}$ with the cell values $\mathrm{W}_{\mathrm{ij}}$.

| 1 | 0 | 1 | 1 | 0 | 1 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 0 | 0 | 0 |
|  | $\wedge$ |  |  |  |  |
| $\wedge$ | 1 | 0 | 0 | 1 | 0 |
| $\wedge$ |  |  |  |  |  |

The value of $W_{i f}$ can be computed as,

$$
\mathrm{M}^{\mathrm{T}} \leftarrow \mathrm{M} \cdot \mathrm{D}_{(\mathrm{i}, \mathrm{j})}
$$

This gives the transpose of the Zero- One matrix $M$ of size $p$ xq as the output, that is $\mathrm{M}^{\mathrm{T}}$ with order $\mathrm{q} \times \mathrm{p}(\mathrm{q}=6, \mathrm{p}=3)$

| 1 | 0 | 0 |
| :--- | :--- | :--- |
| 0 | 0 | 1 |
| 1 | 0 | 0 |
| 1 | 0 | 0 |
| 0 | 0 | 1 |
| 1 | 0 | 0 |

## III Summary

A novel algorithm to transpose Zero- One matrix has been described in the paper. This technique can possibly be implemented to develop a way of research in Computational Science.

## References

[1] Sanil Shanker K P, Aaron Turner, Elizabeth Sherly and Jim Austin, Sequential Data Mining Using Correlation Matrix Memory. International Conference on Networking and Information Technology (ICNIT), 2010, Manila, IEEE Xplore, (June 2010) 470-472.
[2] Stephen Warshall, A Theorem on Boolean Matrices. Journal of the ACM. Volume 9 Issue 1, Jan. 1962 Pages 11-12.

